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Enhanced Oil Recovery



More Wells – More Oil?

A physics based analysis of the Norwegian DISKOS database

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(NCS2030)

Ref:

Hiorth, A., Jettestuen, E., Osmundsen, P. "A physics based reservoir model for analysing large amount of reservoir production data", *submitted 2022*

Hiorth, A. & Osmundsen, P. «Petroleum taxation. The effect on recovery rates». *Energy Economics*» **87** (2020). <https://doi.org/http://dx.doi.org/10.1016/j.eneco.2020.104720>

*Drilling and Production Practice 1950***More Wells - More Oil?**

H. H. KAVELER*

ABSTRACT

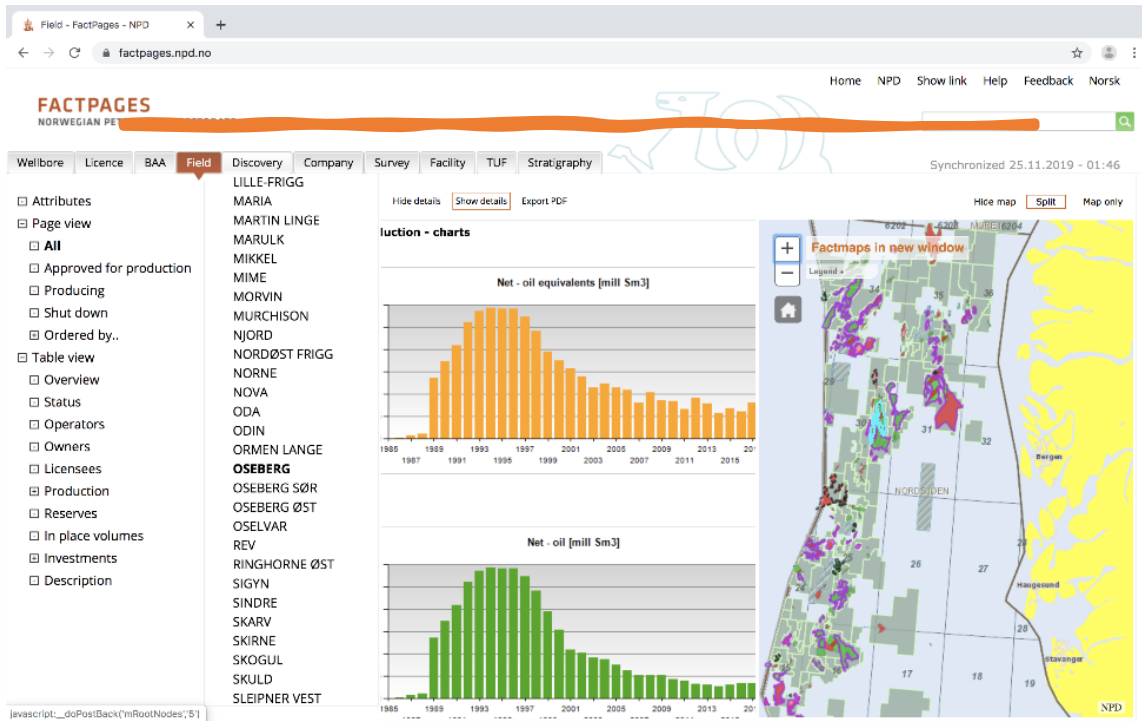
The paper presents conclusions regarding the effect of well spacing on ultimate recovery, based upon a study of more than 50 pools. Production

statistics and related facts on 6 pools are presented in substantiation of a general recommendation for wide spacing.

- Do more wells produce more oil?
- Are oil reserves lost because only 1 well is often drilled to each 40 acres rather than 2 or 4 wells to 40 acres? (40 acres = 0.16 km²)

One important point from Kavelers paper is that we need to investigate the data and not trust the “expert”

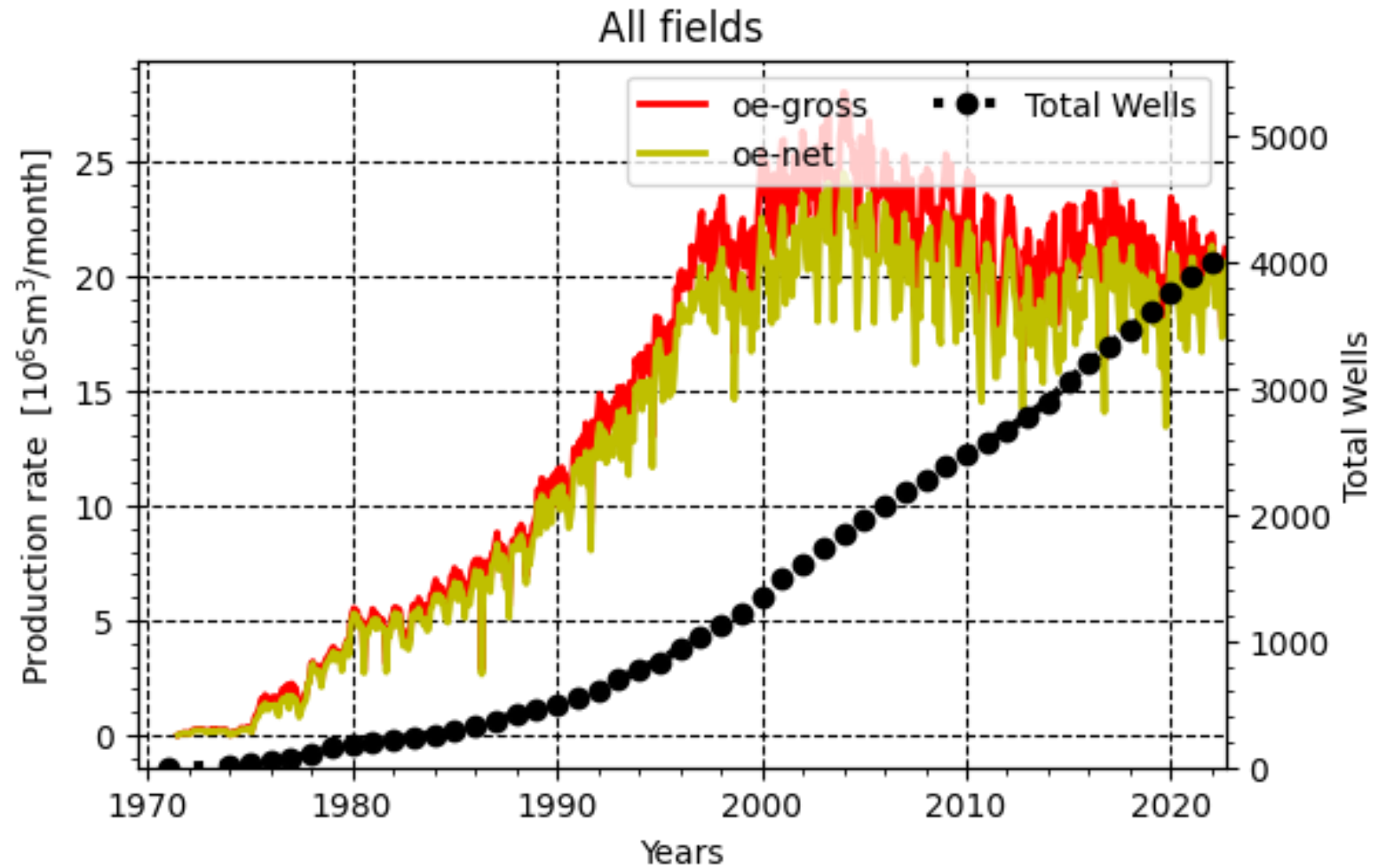
What does data tell? (and do we have data?)



Parameters	DISKOS	FactPages
Field Fluid injection	Yes	No
Field Fluid production	Yes	Yes
Complete production history	No	Yes
Complete injection history	No	No
Individual well production/injection	Yes	No
Well schedules	Yes	Yes

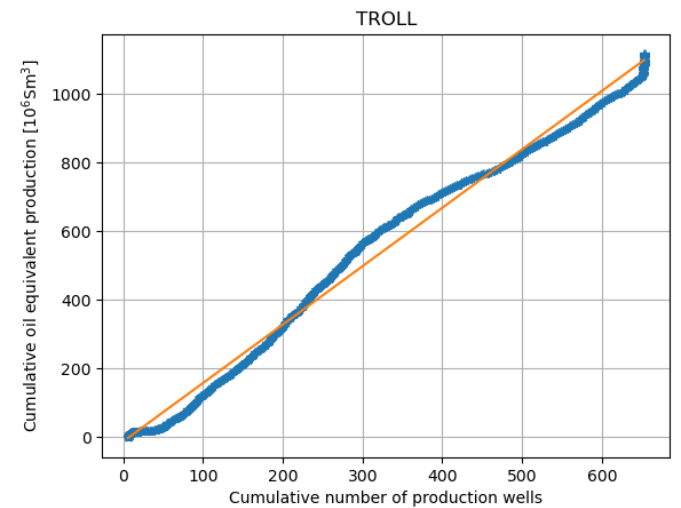
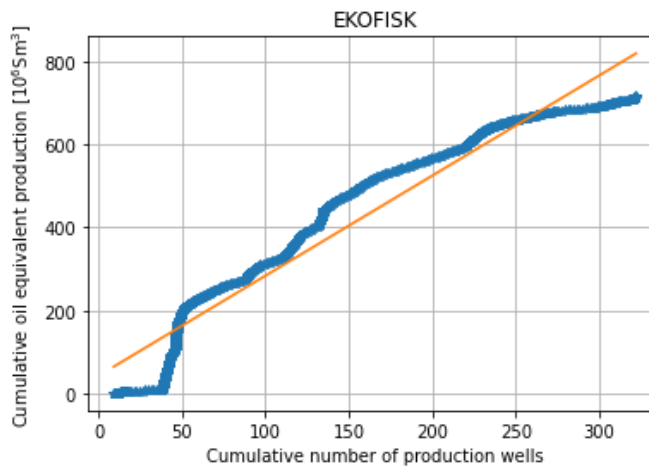
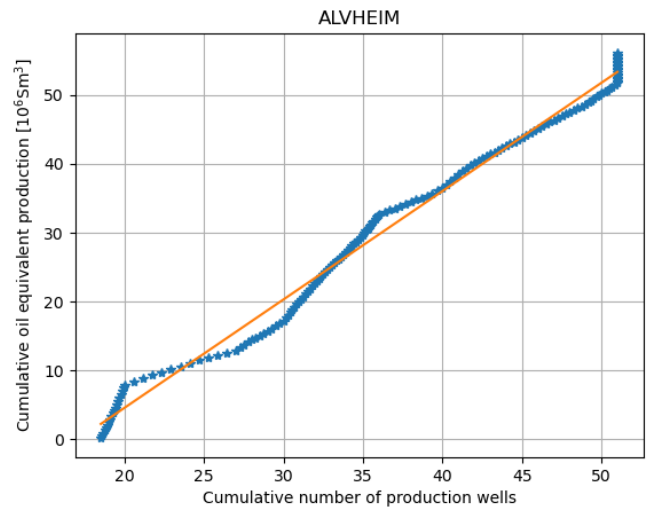
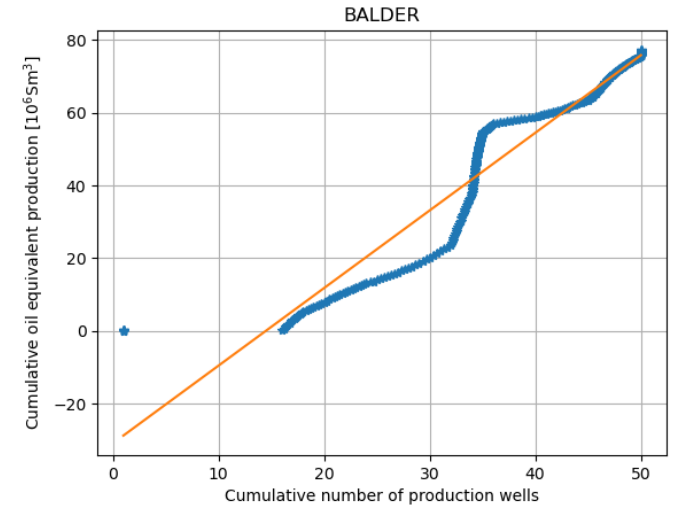
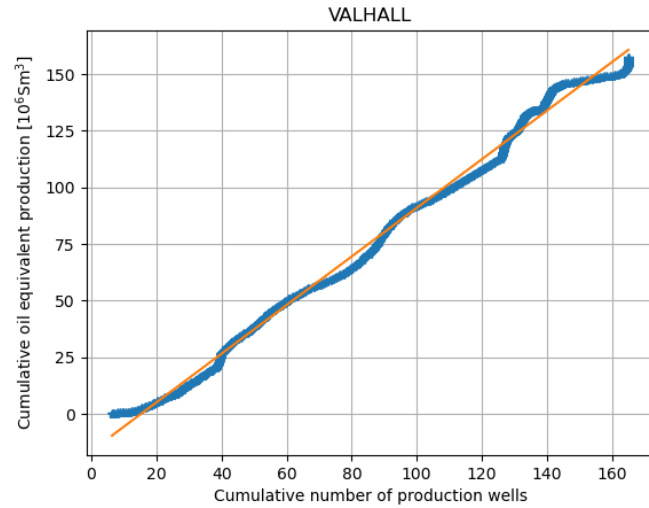
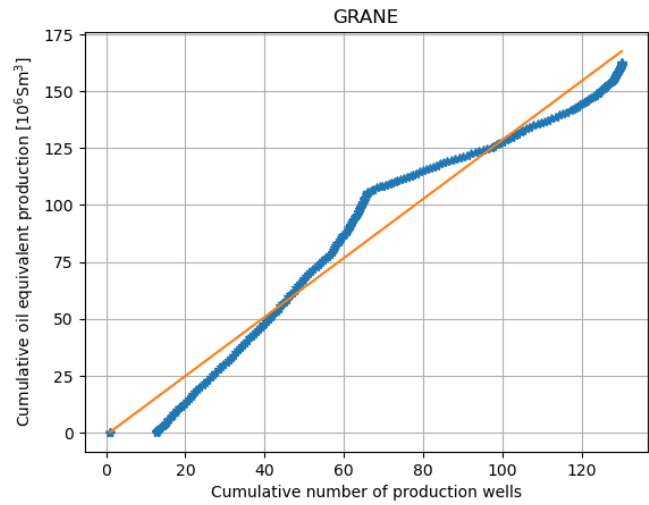
	prfInformationCarrier	prfYear	prfMonth	prfPrdOilGrossMillSm3	prfPrdGasGrossBillSm3	prfPrdCondensateGrossMillSm3	prfPrdOeGrossMillSm3	prfPrdProducedWaterInFieldMillSm3	prfNpdidInformationCarrier
0	16/1-12 (Rolvsnnes)	2021	8	0.00651	0.00114	0.0	0.00765	0.00291	17196400
1	16/1-12 (Rolvsnnes)	2021	9	0.01042	0.00250	0.0	0.01292	0.00719	17196400
2	16/1-12 (Rolvsnnes)	2021	10	0.01204	0.00220	0.0	0.01425	0.00912	17196400
3	16/1-12 (Rolvsnnes)	2021	11	0.01384	0.00249	0.0	0.01634	0.01186	17196400
4	16/1-12 (Rolvsnnes)	2021	12	0.00471	0.00080	0.0	0.00551	0.00418	17196400

Wells and oil equivalent recovery



Python code:

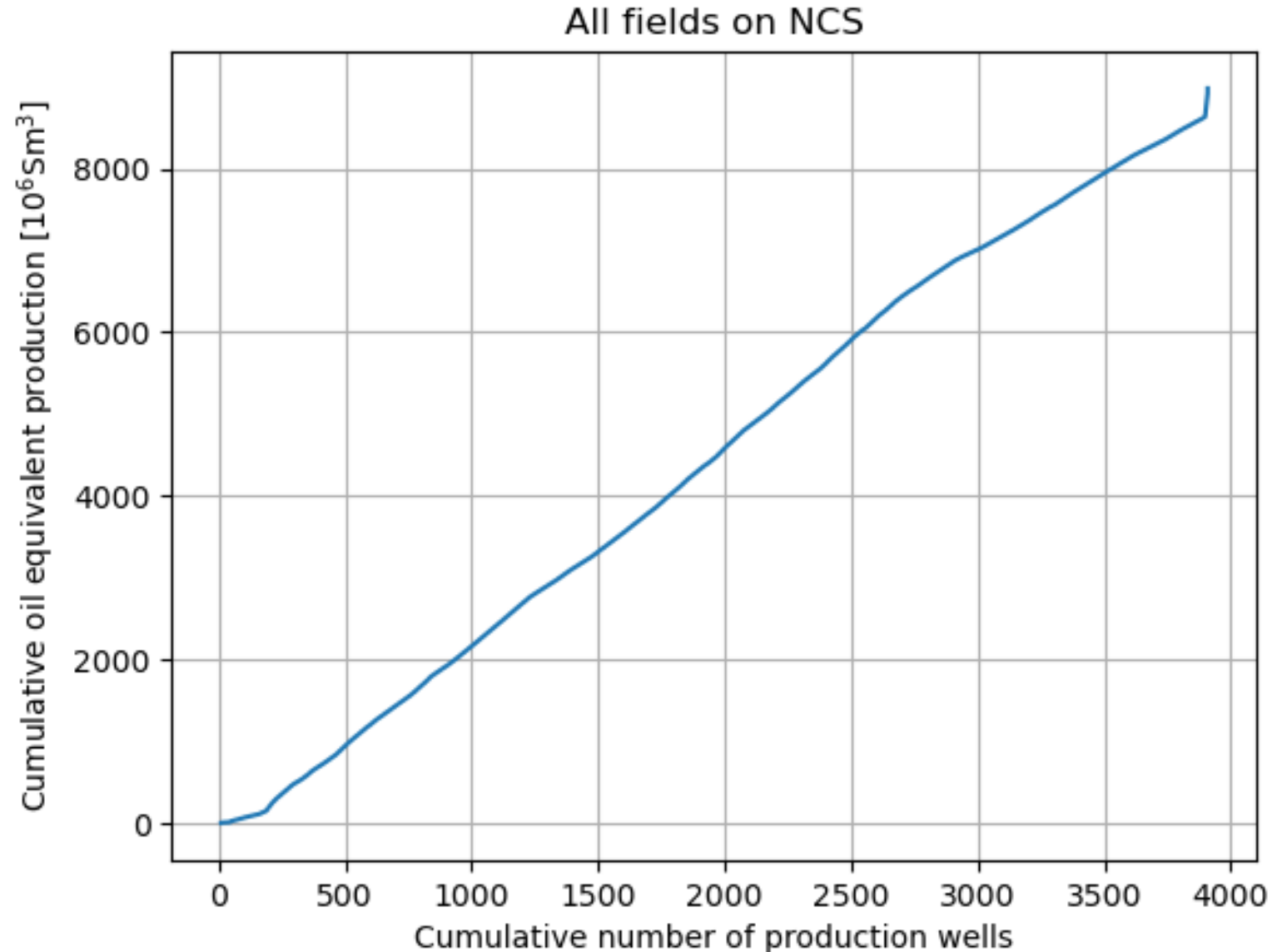
```
df=pd.read_csv('field_production_gross_monthly.csv',sep=',')
df=df.groupby('prfYear').sum()
df.plot(y='prfPrdOeGrossMillSm3',grid=True)
```



A clear correlation between wells and oil equivalent recovery

Is this the answer?
Just add more wells,
and more oil is
produced?

Correlation does not
imply causation!

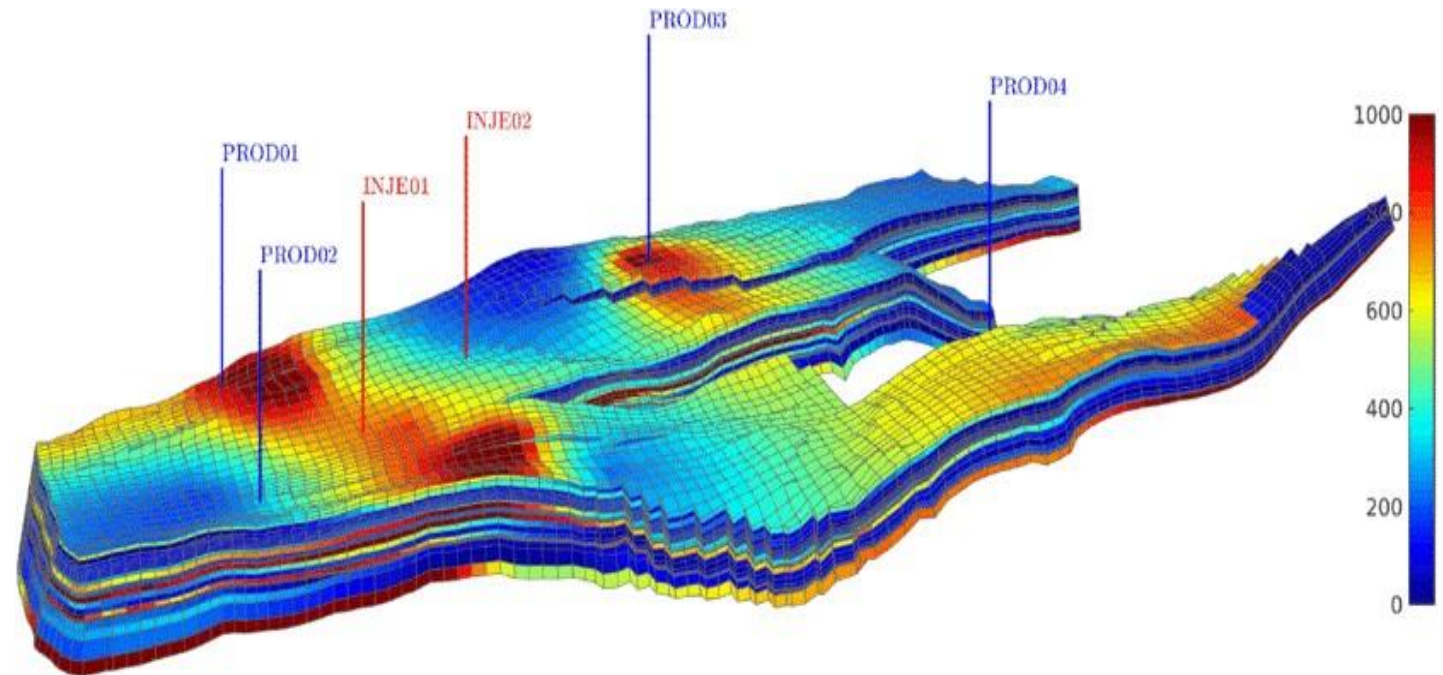


Data has no value in itself - to interpret data we need a model

A model is a *sufficient* simplification of a real-world problem

The “gold standard”
Reservoir simulators:

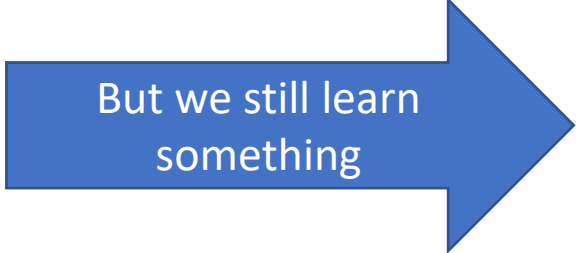
- Needs lot of data
- Good for field specific studies



...public data does not include data for grid-based models

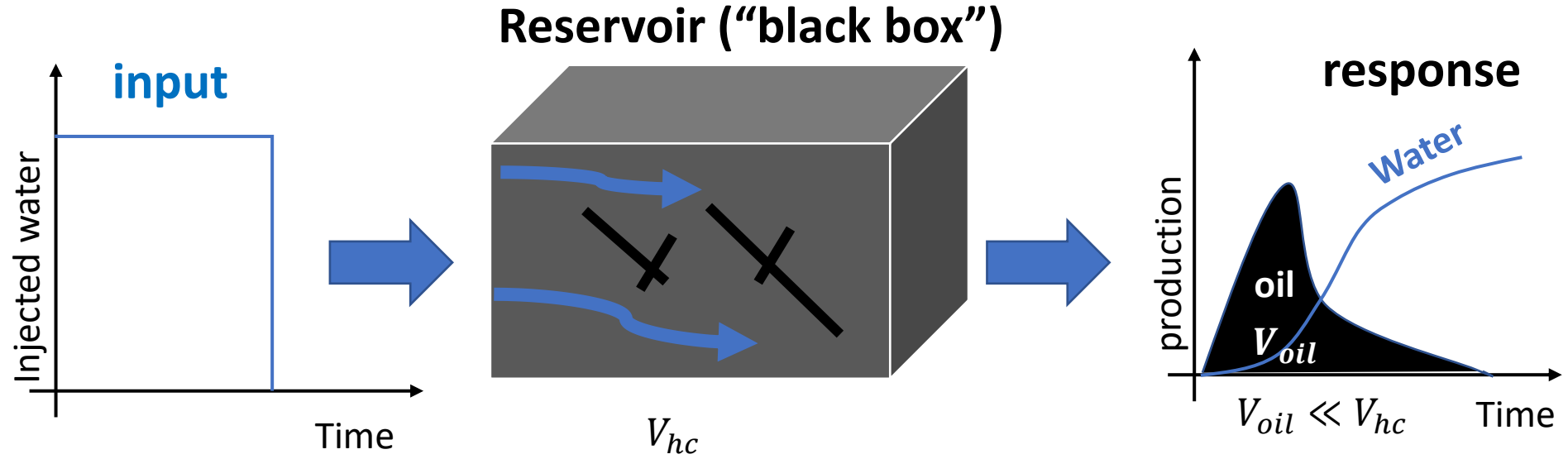
Why use simple models?

- Strength
 - Less input parameters
 - If it works we know that assumptions could be right
 - If it does not work we know that assumptions are wrong
 - If the model is based on physics:
 - Can predict outside data range
- Weakness
 - Mechanisms are masked
 - Detailed planning needs detailed models



But we still learn something

Borrow ideas from chemical engineering

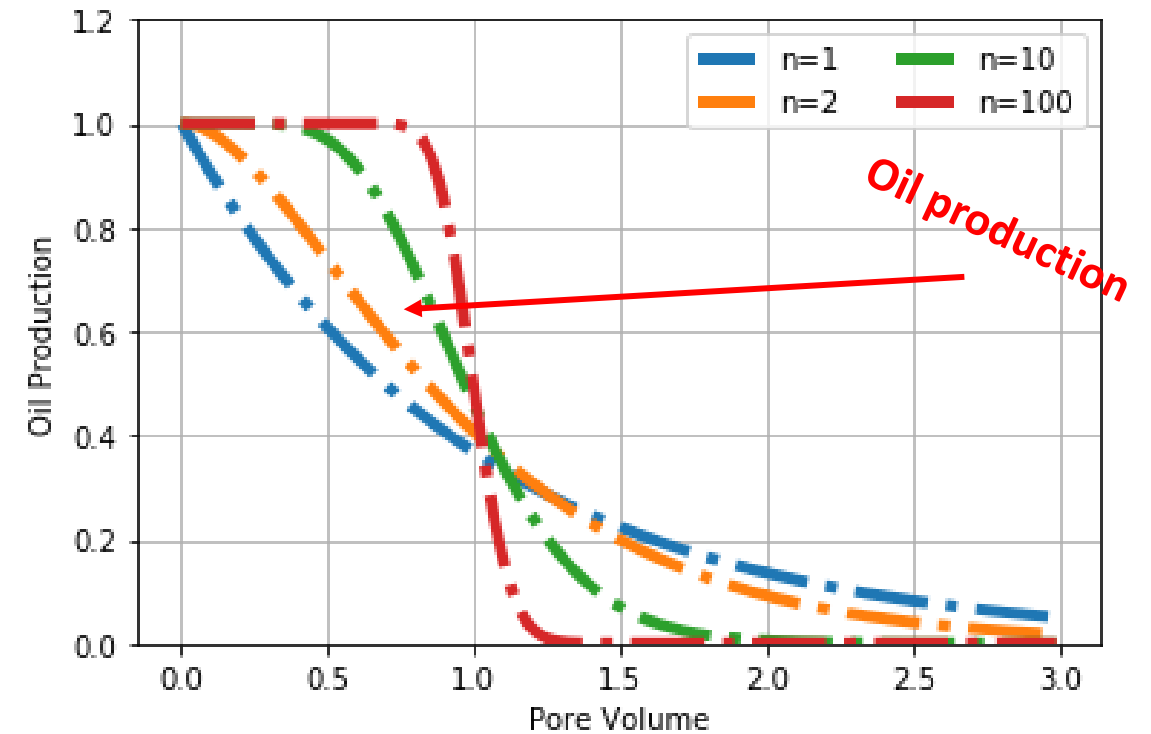
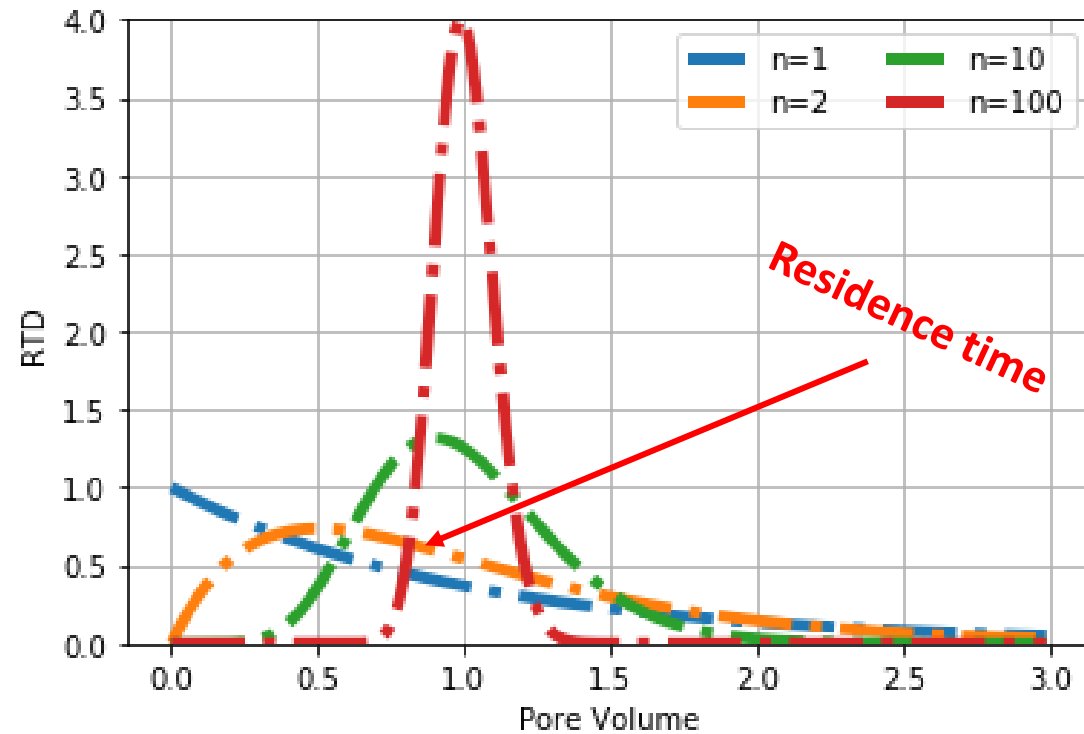


$$c_{in}(t) = \frac{V_w(t)}{V_w(t) + V_{hc}(t)} = 1$$

$$c_{out}(t) = \frac{V_w(t)}{V_w(t) + V_{hc}(t)} = \int_0^t c_{in}(t - t') E(t') dt'$$

Residence Time Distribution
or Exit age distribution

Residence time and oil production



"n" represents a heterogeneity factor $n \rightarrow \infty \Rightarrow$ piston displacement (homogeneous)

A full field oil production model

- Assume that each well can be modelled using the same residence time distribution
- Well interference: whenever a new well is put online the mean residence time of the others are affected

The diagram illustrates the equation for oil production Q_{oil} as a function of injection rate Q_{inj} and well interference. The equation is $Q_{oil} = Q_{inj} \sum_{k=1}^{n} [1 - \int_0^t E_k(t', \frac{\tau}{k}) dt']$. Annotations include: a red oval around the summation index n labeled "number of wells"; a red box labeled "Previous slide" pointing to the integral term; a red oval around $T_{w,k}$ (representing τ/k) with a red box labeled "Data on NPD website" below it; and a green box labeled "Two free parameters for each field" at the bottom, with green lines connecting it to Q_{inj} and τ .

$$Q_{oil} = Q_{inj} \sum_{k=1}^{n} [1 - \int_0^t E_k(t', \frac{\tau}{k}) dt']$$

Annotations in the diagram:

- Red oval around n : *number of wells*
- Red box: Previous slide
- Red oval around $T_{w,k}$: $T_{w,k}$
- Red box: Data on NPD website
- Green box: Two free parameters for each field

What are the assumptions?

- Different parts of the reservoir are connected
 - A well drilled in one part of the reservoir affects the other wells immediately
- A new well produce with the same initial rate
- Reservoirs behaves as continuous flow systems
 - Similar volume of fluids are injected that are produced
 - Note: hard to quantify as reservoirs can have active aquifers

Note: all the above assumptions can be relaxed, but with the cost of introducing more parameters

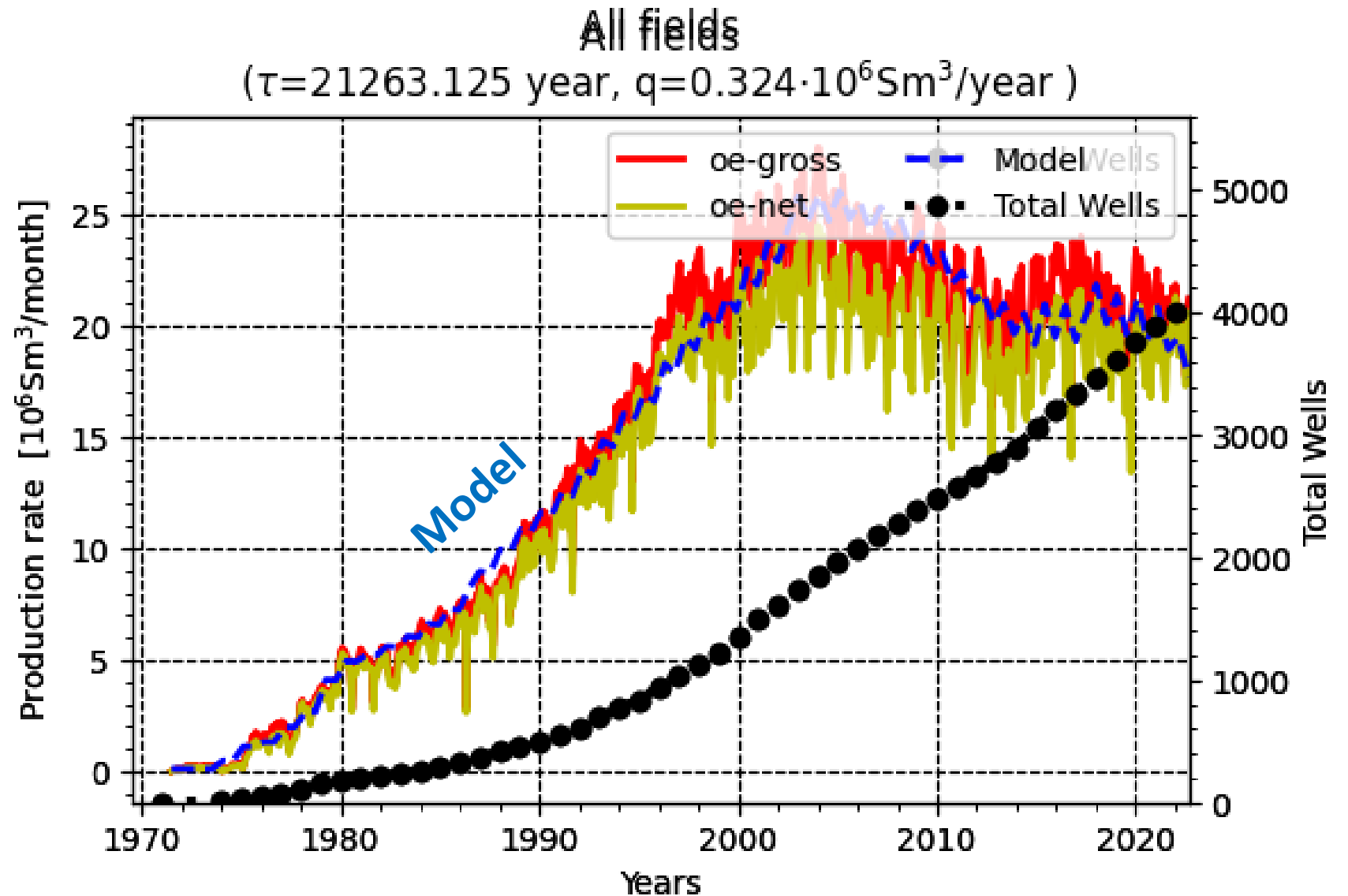
Test model on all field data

Model does not need spatial information
Only when wells are drilled

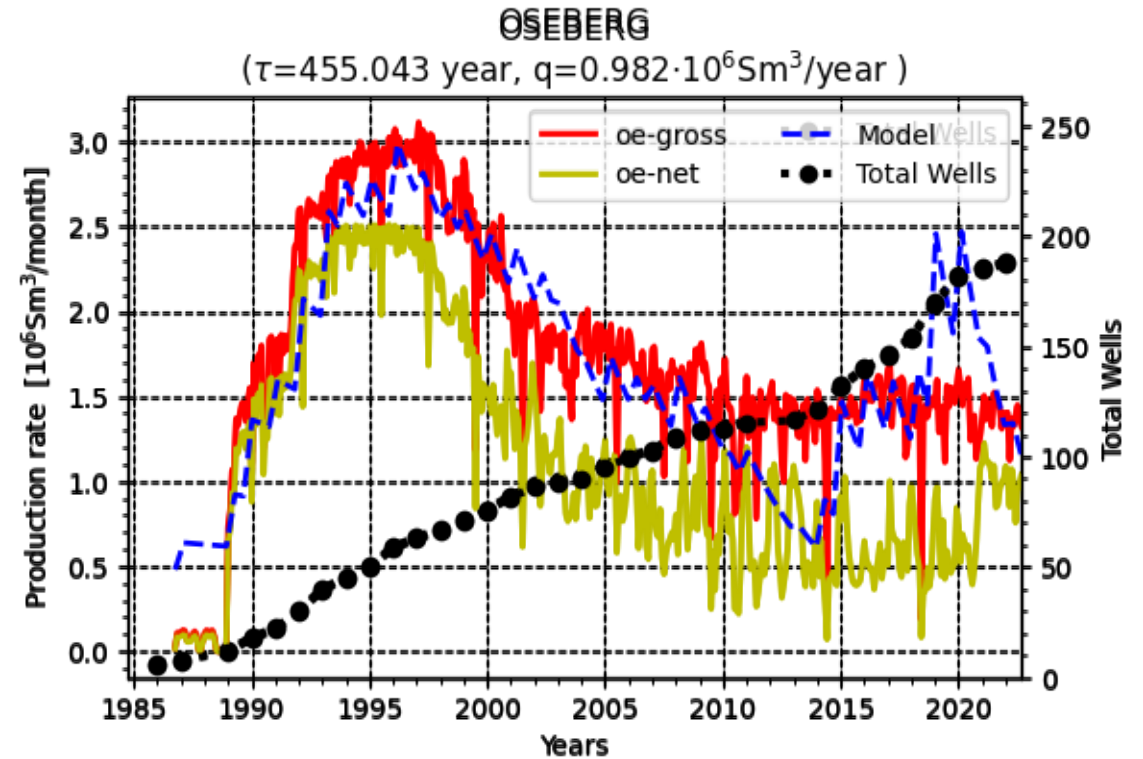
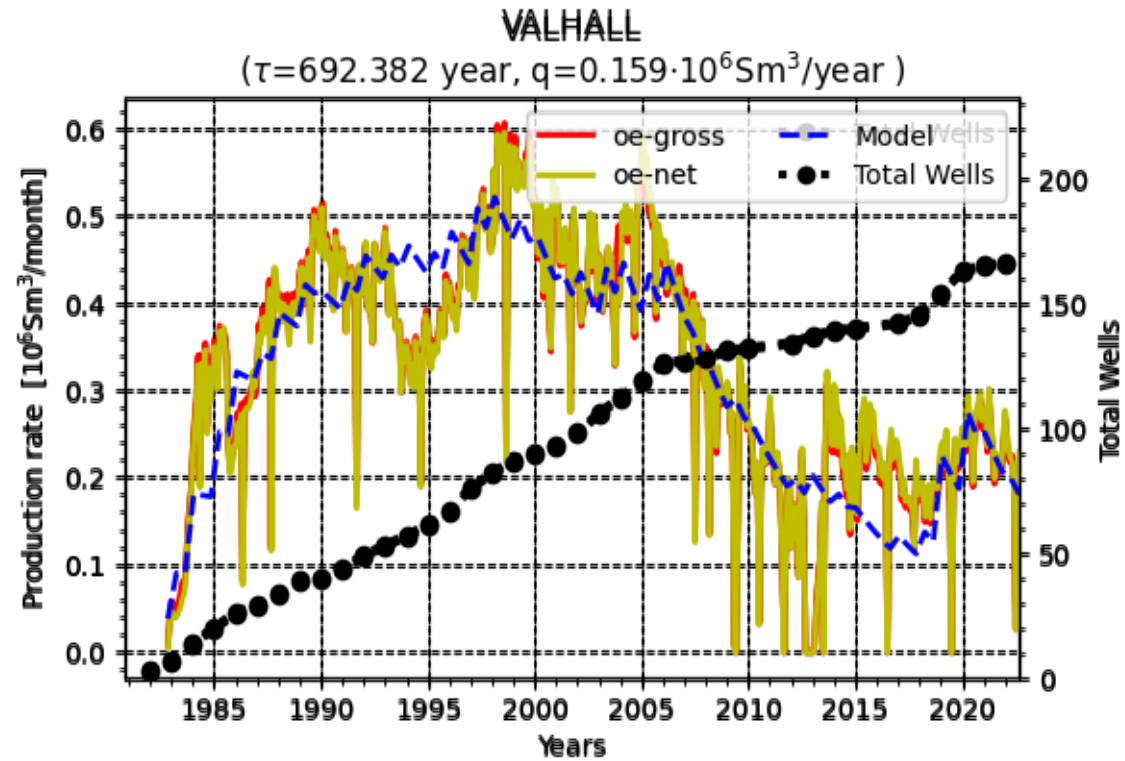
$$\tau \cdot q = 6.9 \cdot 10^9 \text{Sm}^3$$

$$V_{hc} = 10.6 \cdot 10^9 \text{Sm}^3$$

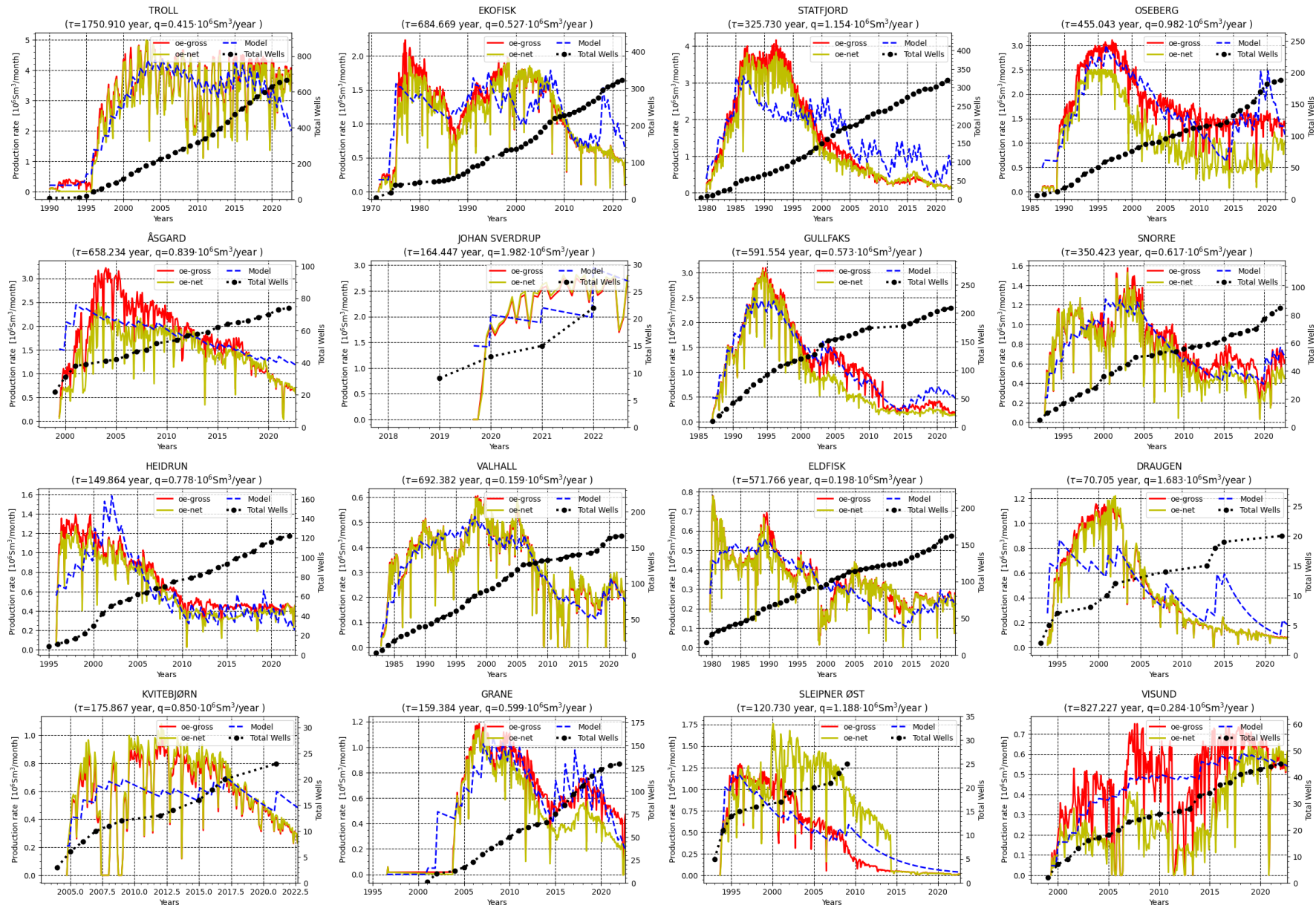
$$\frac{\tau \cdot q}{V_{hc}} = 0.65$$

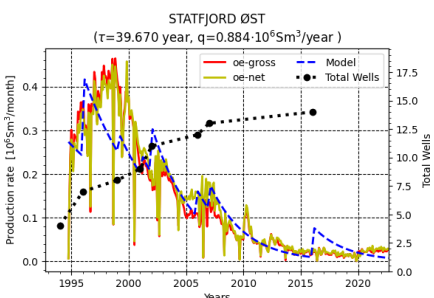
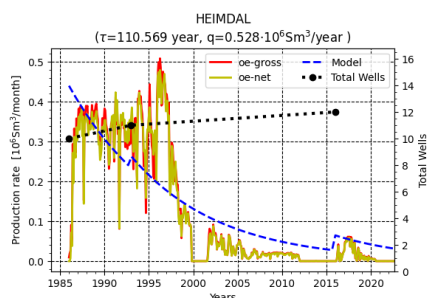
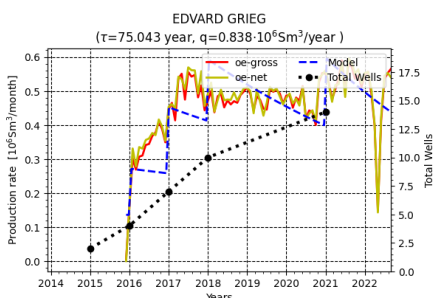
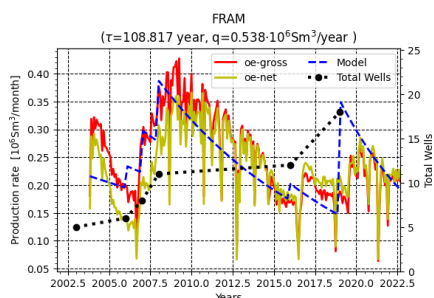
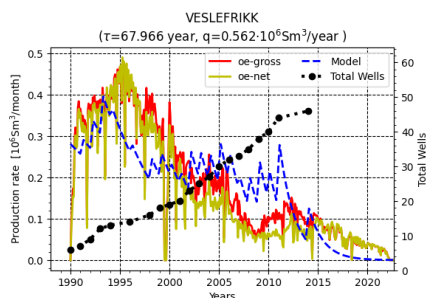
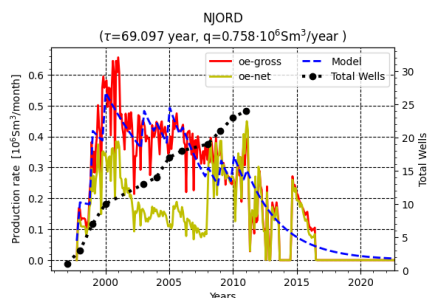
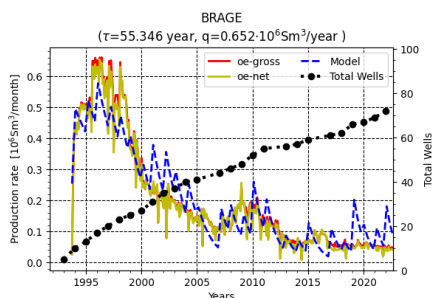
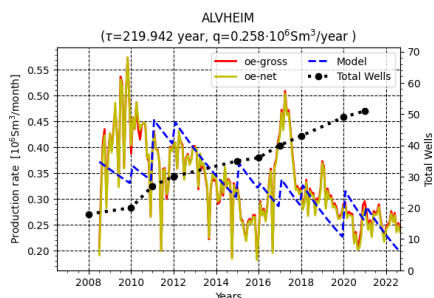
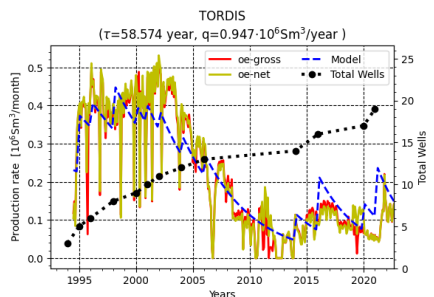
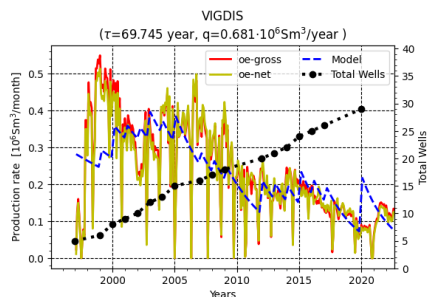
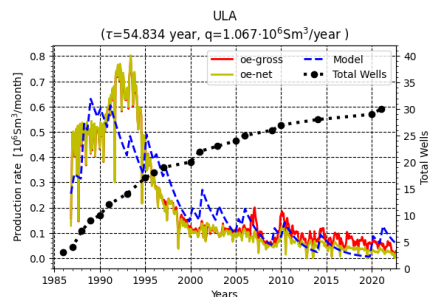
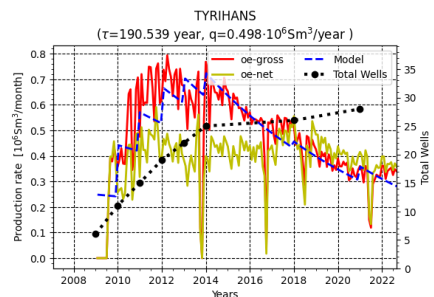
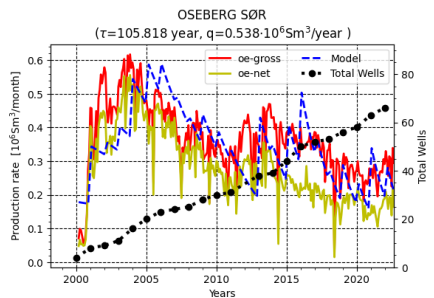
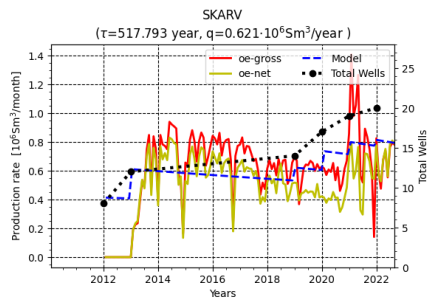
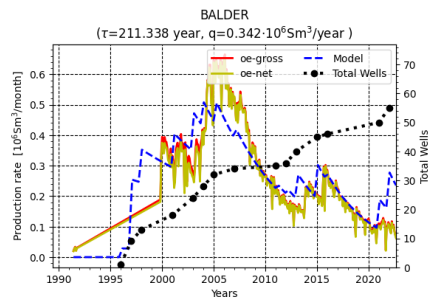
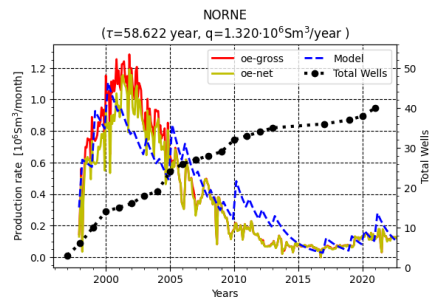


Some more examples

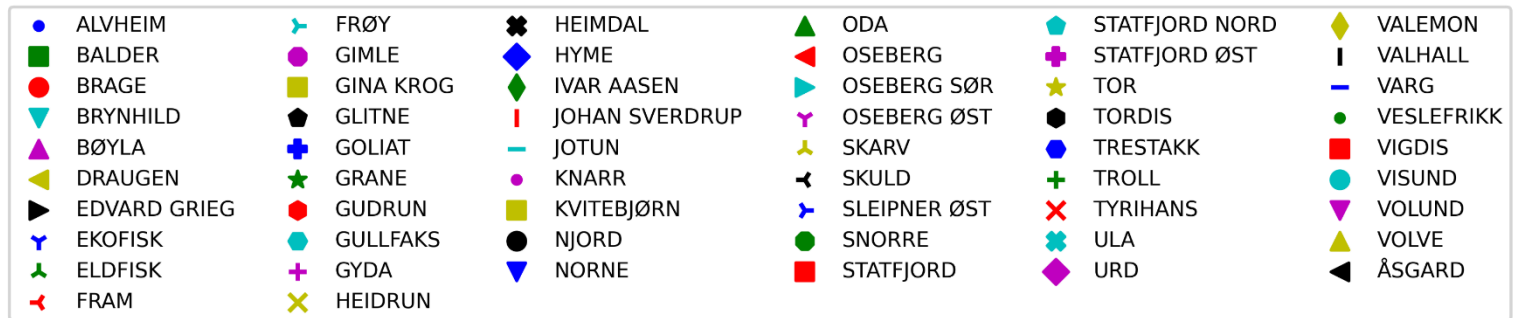
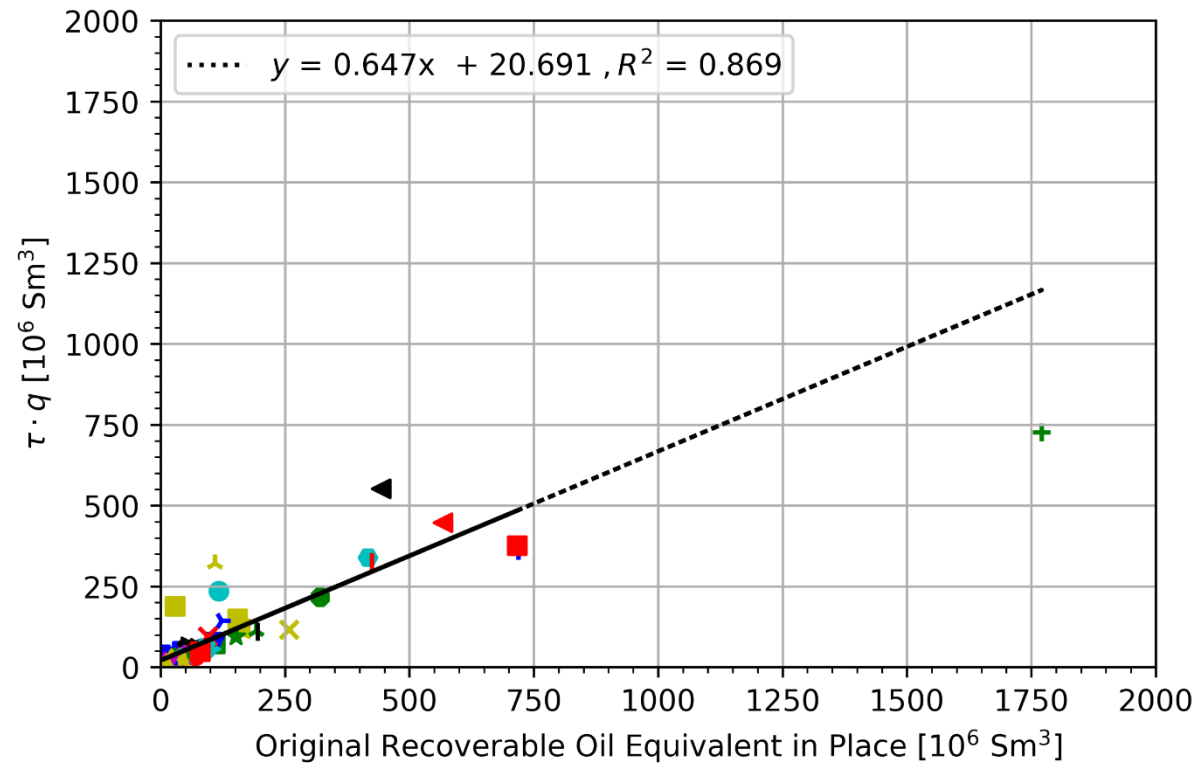


... and some more



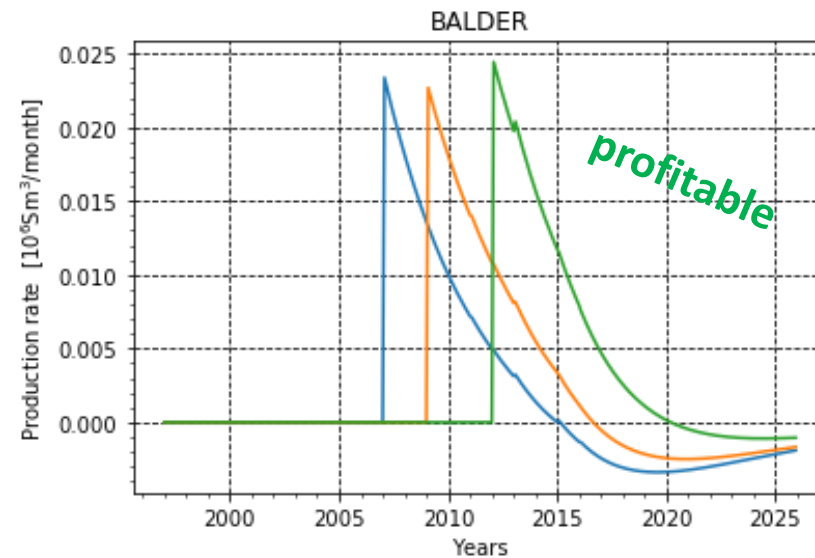
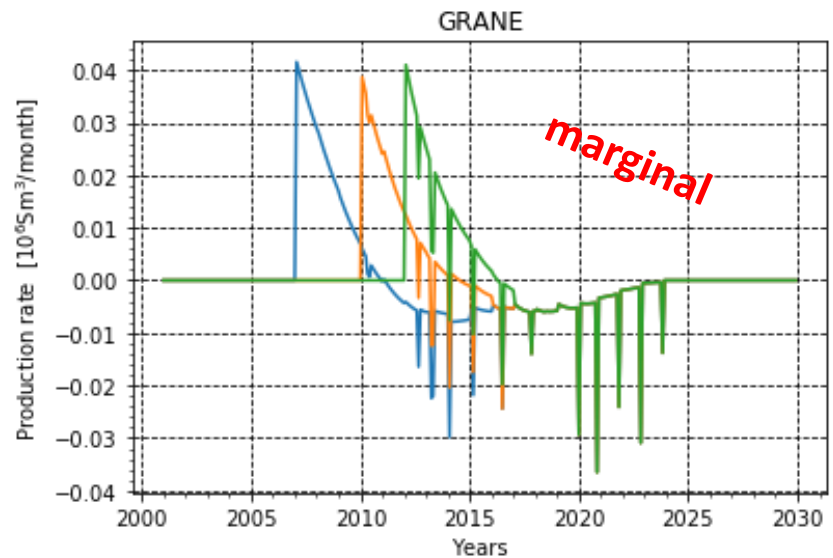
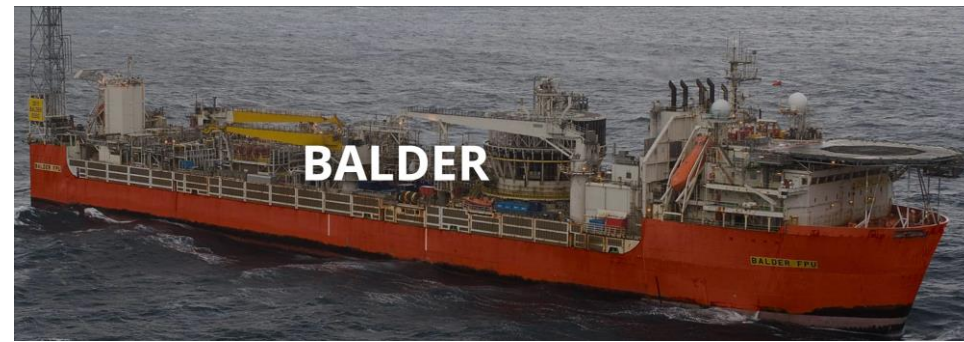


Model parameters vs original oil equivalents in place



Effect of adding one more well

- We run the model once with τ and q determined from data
- At a certain time we add a well
- The difference in field recovery gives additional oil recovery



Preliminary conclusions

- The model seems to work
 - Which indicates that reservoirs are connected
 - Wells drain from the same pool of oil
- More wells – More oil ?
 - Sometimes, but it requires detailed analysis based on a reservoir technical understanding
 - Just adding more wells does not imply higher recovery
 - *“Wells only provide the means for utilizing the energy of production by creating pressure sinks to drain reservoir energy and to establish the process by which the expulsion of oil from rock is brought about” H. H. Kaveler*
- Our modeling shows that we can model reservoirs with injection as continuous flow systems
 - Most fields behaves (surprisingly) similar
- Why? Maybe it is NPDs unique role and the petroleum act
 - “The extraction must take place in accordance with sound technical and sound economic principles and in such a way that the **loss** of petroleum or **reservoir energy is avoided**”

Tusen takk!

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 cssr.no



Centre for Sustainable Subsurface Resources



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